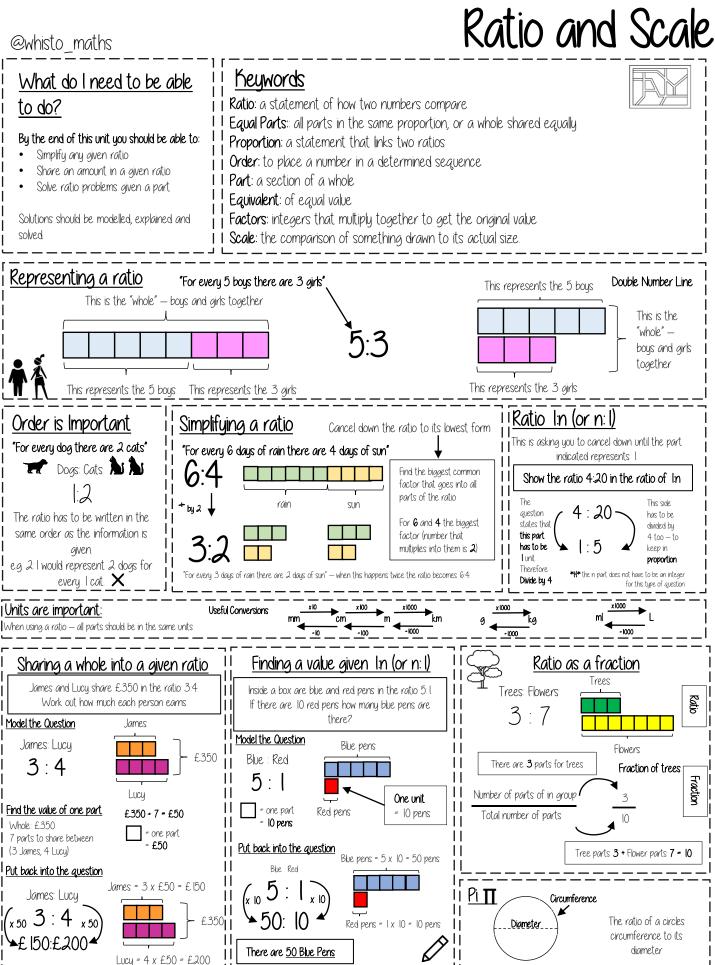
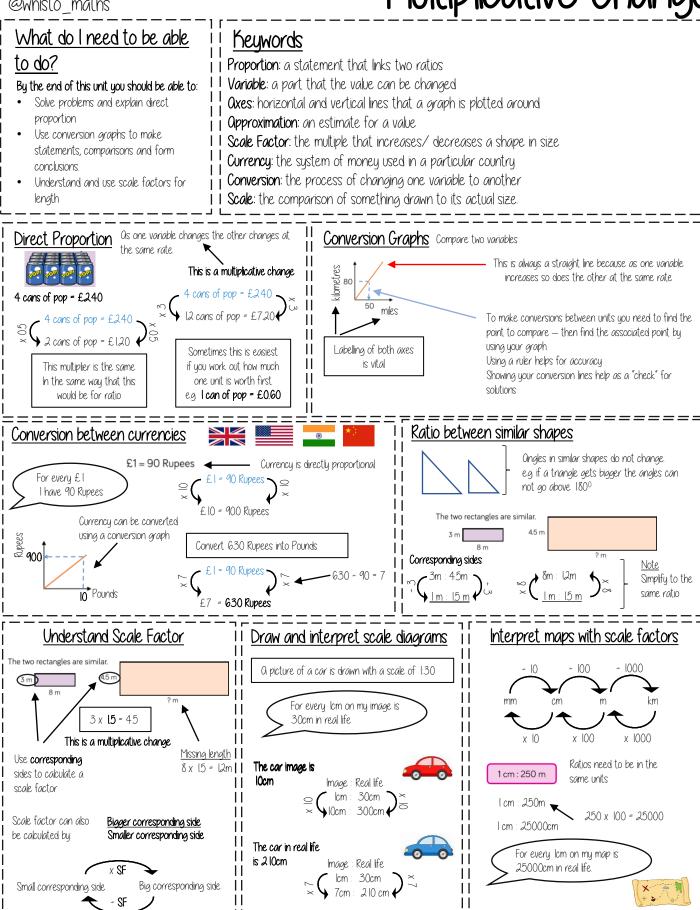
YEAR & - PROPORTIONAL REASONING

@whisto maths



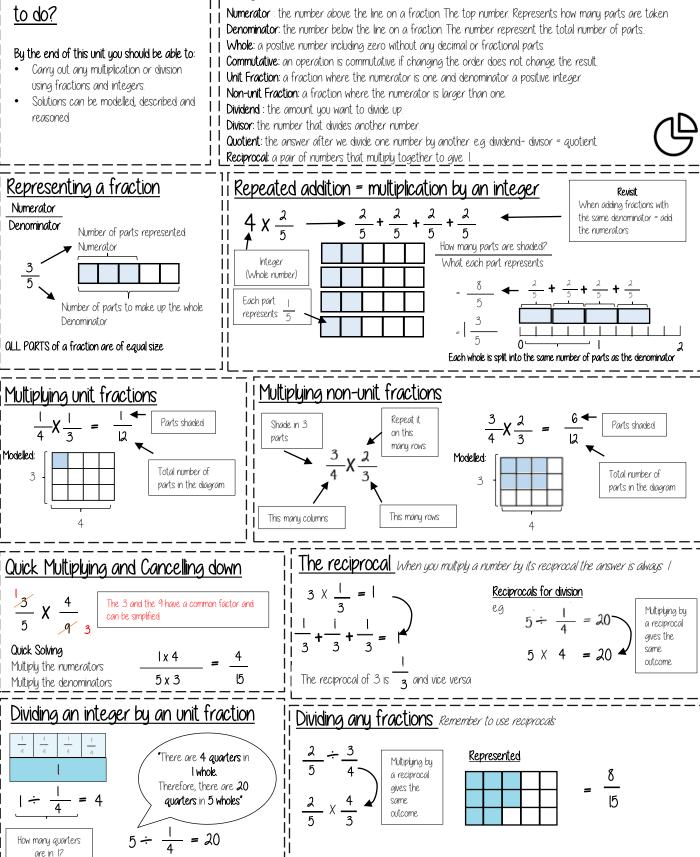
YEAR 8 - PROPORTIONAL REASONING... @whisto_maths Multiplicative Change



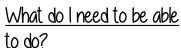
YFAR & - PROPORTIONAL REASONING Multiplying and Dividing Fractions @whisto maths

What do I need to be able to do?

Keywords



YEAR 8 - REPRESENTATIONS... <u> *Working in the Cartesian plane*</u>

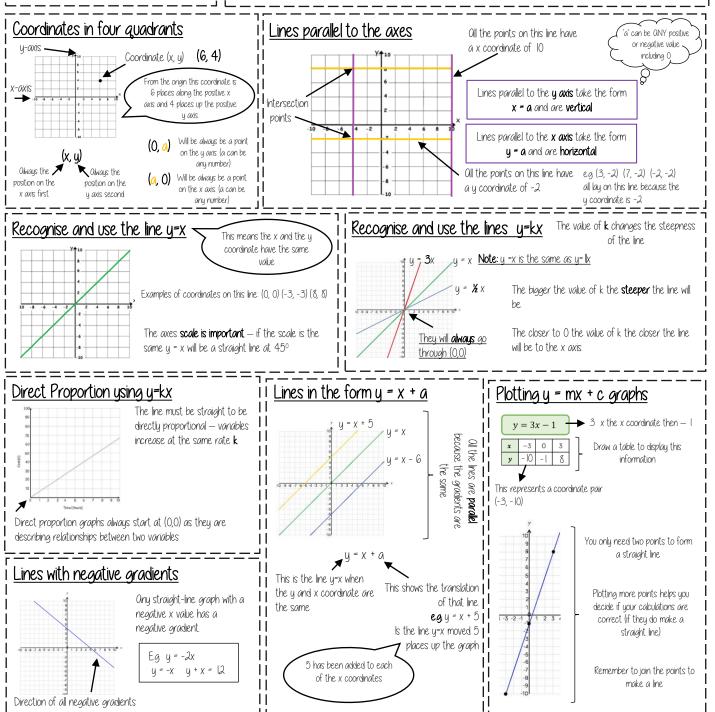


By the end of this unit you should be able to:

- Label and identify lines parallel to the axes
- Recognise and use basic straight lines
- · Identify positive and negative gradients
- Link linear graphs to sequences
- Plot y = mx + c graphs

Keywords

- Quadrant: four quarters of the coordinate plane.
- Coordinate: a set of values that show an exact position.
- Horizontal: a straight line from left to right (parallel to the x axis)
- Vertical: a straight line from top to bottom (parallel to the y axis)
- Origin: (0,0) on a graph. The point the two axes cross
- Parallel: Lines that never meet
- Gradient: The steepness of a line
- I Intercept: Where lines cross

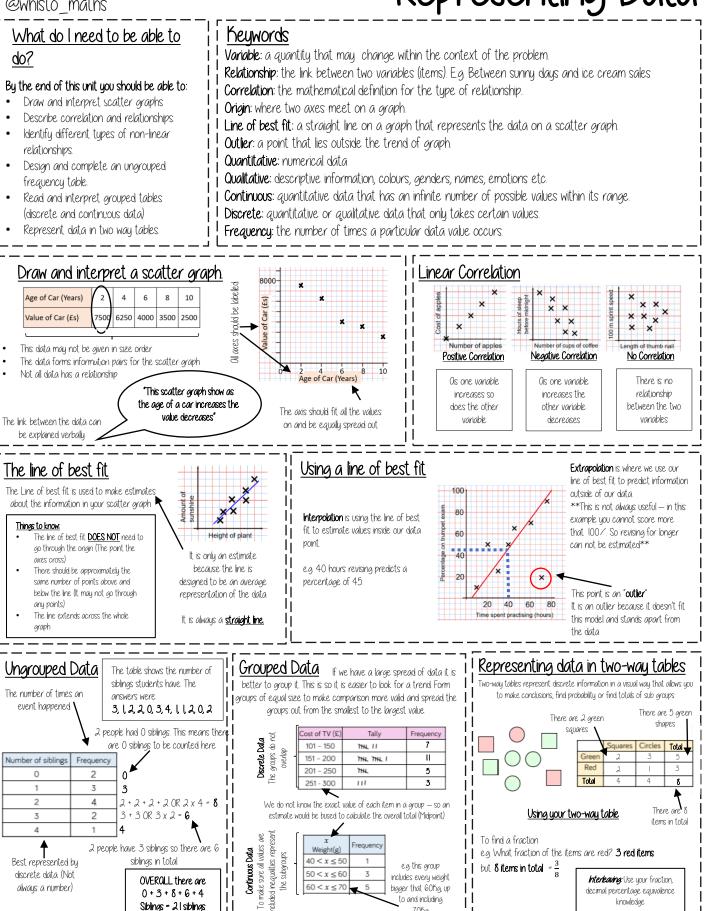


YEAR 8 - REPRESENTATIONS

Siblings = 21 siblings

Representing Data

@whisto maths

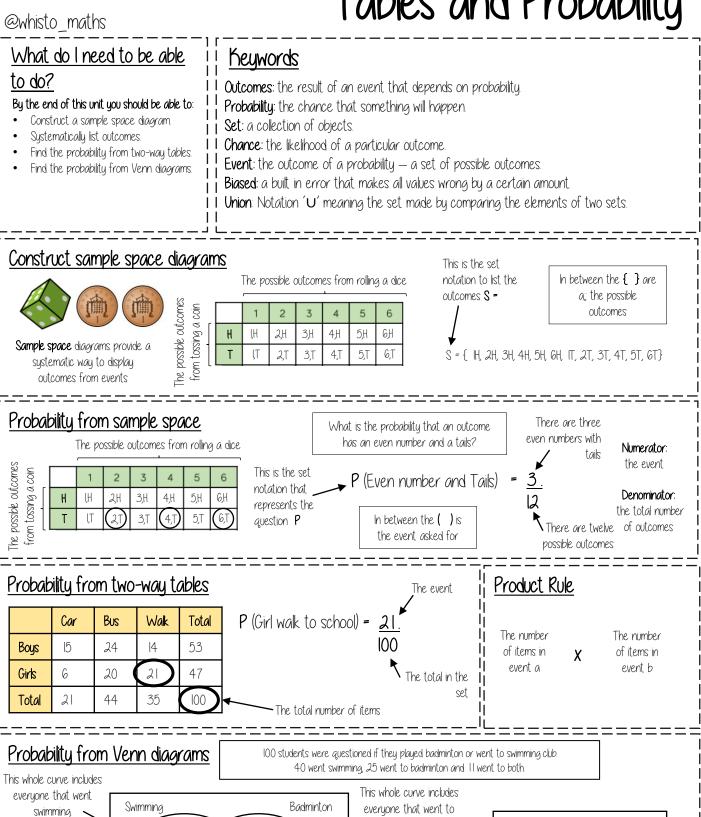


to and including

70ha

knowledge

YEAR 8 - REPRESENTATIONS... Tables and Probability



badminton.

Because 11 did both we

calculate just badminton

by 25 - 11

The number outside represents those

that did neither badminton or swimming

P (Just swimming) =

100 - 29 - 11 - 14

29.

100

Because 11 did both we

calculate just swimming by

40- 11

The intersection

represents both.

Swimming **QND** badminton

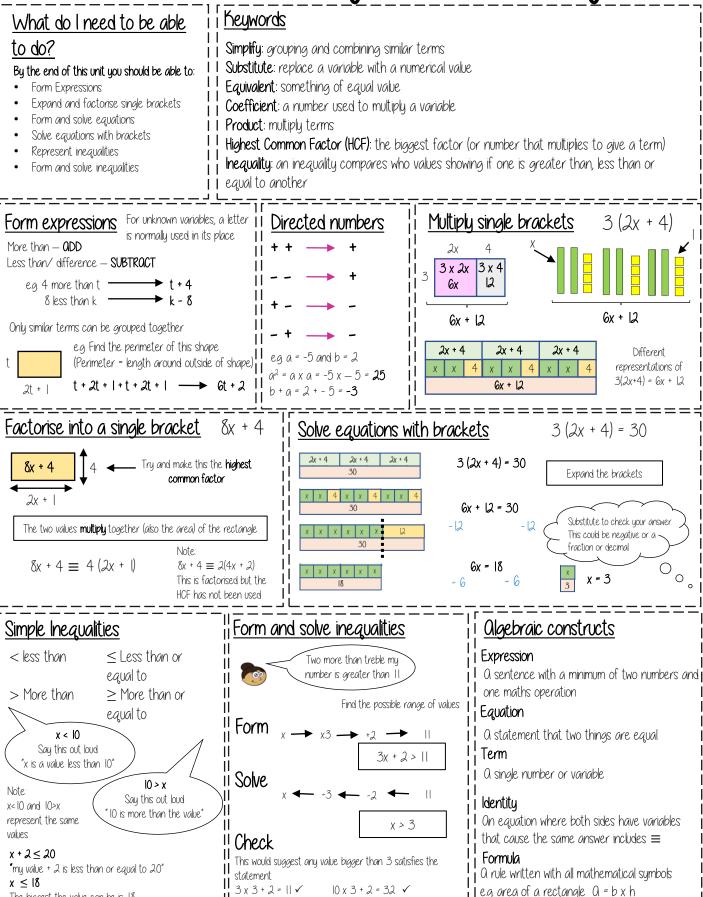
29

14

46 💌

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YEAR 8 - ALGEBRAIC TECHNIQUES... <u>@whisto_maths</u> Brackets, Equations & Inequalities



The biggest the value can be is 18

YEAR 8 - ALGEBRAIC TECHNIQUES...

@whisto_maths	Sequences
 <u>LO GO?</u> By the end of this unit you should be able to: Generate a sequence from term to term or position to term rules Recognise arithmetic sequences and find the nth term Recognise geometric sequences and 	ng is located leen terms increases or decreases (+ or -) by a constant value each time between terms increases or decreases in different amounts, or by x or ÷
Linear and Non Linear Sequences Linear Sequences – increase by addition or subtraction and the same amount each time Non-Inear Sequences – do not increase by a constant amount – quadratic, geometric and Fibonacci • Do not plot as straight lines when modelled graphically • The differences between terms can be found by addition, subtraction, multiplication or division Fibonacci Sequence – look out for this type of sequence 0 2 3 5 8 Each term is the sum of the previous two terms Each term is the sum of the previous two terms Sequences from algebraic rules 3n ² + 7	Sequence in a table and graphically Position: the place in the sequence
This will be linear - note the single power of n The values increase at a power for n constant rate 2n - 5 Substitute the number of the term you are looking for in place of 'n' eg if term = $2(1) - 5 = -3$ 2^{nd} term = $2(2) - 5 = -1$ 100^{th} term = $2(100) - 5 = 195$ <u>Checking for a term in a sequence</u> is 201 in the sequence $3n - 47$ Cligebraic rule Solving this will find the position of the term in the sequence. ONLY an integer solution can be in the sequence.	
H Finding the algebraic rule This is the 4 \longrightarrow 4, 8, 12, 16, 20 4n $\downarrow \downarrow \downarrow$ 7, 11, 15, 19, 22 \longleftarrow difference - but is the original se 4n +	3 more than difference between the terms original and new sequence

YEAR 8 - ALGEBRAIC TECHNIQUES...

le alia a a

@whisto_maths		Indices
What do I need to be ableto do?By the end of this unit you should be able to:• Odd/ Subtract expressions with indices• Multiply expressions with indices• Divide expressions with indices• Know the addition law for indices• Know the subtraction law for indices		the number that tells you how many times to use the number in multiplication the number that tells you how many times to use the number in multiplication exponent. ed to multiply a variable
Oddition/Subtraction with indices	<u></u>	Multiply expressions with indices
Coefficient Power $5x^2 + 4x^4$ Term Term Expression	Each square represents x ² and each cube represents x ⁴	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$
Only similar terms can be If they have different pare unlike term $5x^2 + 2x^2 \longrightarrow \qquad $	owers, they as $7x^2$	$ \begin{array}{c} 2b^{4} \times 3b^{2} \\ \equiv 2 \times b \times b \times b \times b \times 3 \times b \times b \\ \equiv 2 \times 3 \times b \\ \equiv 6 b^{6} \end{array} $ There are often misconceptions with this calculation but break down the powers $ \begin{array}{c} \underline{0 \text{ ddition/ Subtraction laws for indices}} \\ 3^{5} \times 3^{2} & \longrightarrow & 3^{7} \\ = (3 \times 3 \times 3 \times 3 \times 3) \times (3 \times 3) \end{array} $
Divide expressions with indices	 	The base number is all the same so the terms can be simplified
$\begin{array}{cccc} \underline{24} & \longrightarrow & \underline{\cancel{3}} \times \cancel{$	$\rightarrow \frac{2}{3}$	$\begin{array}{c} \text{Oddition law for indices} \\ \text{Oddition law for indices} \\ \text{Oddition law for indices} \end{array}$
$\frac{5 a^3 b^2}{15 a b^6} \rightarrow \frac{5 x a x a x a x b}{3 x 5 x a x b x b x b x b}$ Cross cancelling factors shows cance	I	$3^{5} \div 3^{2} \longrightarrow 3^{3}$ $3^{5} \div 3^{2} \longrightarrow 3^{3}$ $3^{5} \div 3^{2} \longrightarrow 3^{3}$ $3^{7} \times 3^{7} \longrightarrow 3^{3}$ $3^{0} \longrightarrow 1$
$\left[\begin{array}{c} \underline{23 \ a^7 \ y^2} \\ 5 \ d \ b^6 \end{array}\right]$ This expression cannot be divide (cancelled down) because there a no common factors or similar ter	ire	Subtraction law for indices $a^m \div a^n = a^{m-n}$
L		: '

YEAR & - DEVELOPING NUMBER Fractions & Percentages @whisto maths

Keywords What do I need to be able Percent parts per 100 - written using the / symbol to do? Decimal: a number in our base 10 number system. Numbers to the right of the decimal place are called decimals. Bu the end of this unit you should be able to: Fraction: a fraction represents how many parts of a whole value you have. Convert between FDP less than and Equivalent: of equal value. more than 100. Reduce: to make smaller in value. Increase or decrease using multipliers. Growth: to increase / to arow. Express an amount as a percentage. Integer: whole number, can be positive, negative or zero. Find percentage change. Invest: use money with the goal of it increasing in value over time (usually in a bank). _____ ___ Fraction/Percentage of amount Convert FDP R R 70 out of 100 70 hundredths This also 70 Find $\frac{3}{5}$ of £60 ER ER ER ER ER squares = 70% means 100 70 "hundredths" 70 - 100 = 7 "tenths" Using a Remember 0.7 Remember calculator Be careful of recurring decimals $10\% \text{ of } \pounds 60 = \pounds 6$ $\frac{3}{1} = 60 \times = 0.6$ <u>3</u> = 60% = 0.33333333 50% of £60 = £30 e.g 11 60% of £60 = 0.3 60% of £60 = £36 11 SI D Convert to a decimal = 0.6 x 60 The dot above the 3 11 This will give you the answer × 100 converts = £.36 in the simplest form to a percentage Percentage decrease: Multipliers Percentage increase: Multipliers Convert FDP < and > 100% 100% 12% 100% 40 hundredths 100 hundredths 4 tenths 10 tenths 40% 100% Decrease by 58% Increase by 12% 140 hundredths 14 tenths 100%+40% |00|' - 58|' = 42|'140% |00'/.+|2'/.=|12'/.Multiplier Multiplier 1+0.40 More than 100 - 0.58 = 0.42 4 Less than |00+0|2=|12= 140 ii Express as a 🛛 - Calculator Express as a / - Non-calculator Percent – per hundred Ш This means that 70 per every 100 7 per every 10 are orange Rosie 70% are orange 70. <u>7</u>. 43.3333.. 100 10 13. 30 43% 30 54 per every 100 shaded 27 per every 50 shaded 54% 54 <u>27 .</u> This the same as ш 100 Can't use equivalence 50 13 - 30 Decimal percentages easily to find 'per Ш are still a percentage Denominator 100 Equivalent fractions hundre.d Percentage change Choose appropriate method bought a house for £180,000, bought a phone for £200. later sold it for £216,000. Q year later sold it for £ 1,25. The language and wording of 100% the question is the key 100% **All** values of change £180,000 compare to the £200 ORIGINOL value f 125 Percentage profit Have you represented the question in a Percentage loss ★<u>36000</u> × 100 =20%

Money made (profit value)

180000

bar model?

Can you use a calculator?

Difference in value ____ × 100

Original value

75

200

× 100 = 37.5%

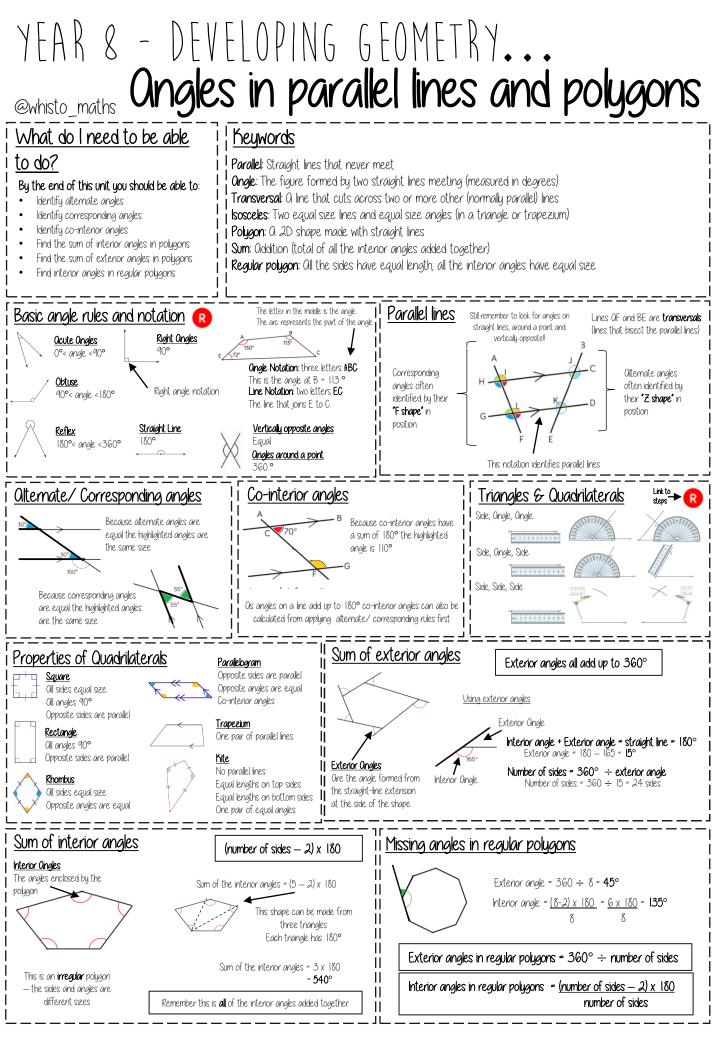
YEAR 8 - DEVELOPING NUMBER...

Standard Form

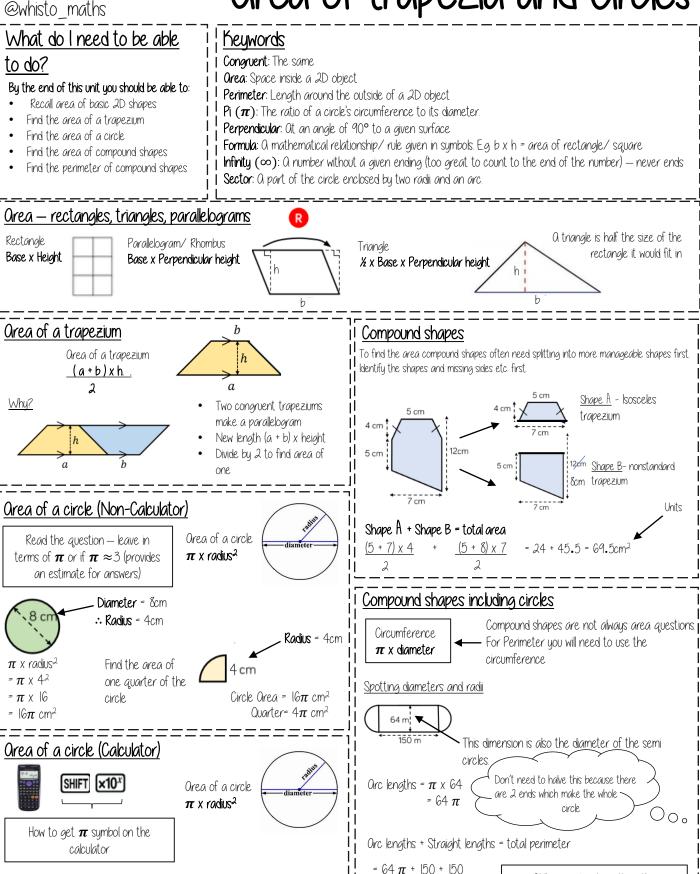
@whisto_maths	S					
What do I nee	d to be	able	Keywords			
to do? By the end of this unit • Write numbers in ordinary numbers • Order numbers in s • Odd/ Subtract with • Multiply/ Divide with • Use a calculator with	standard f standard fc h standard h standard	orm and as mm from form	Standard (index) Form: () sy Commutative: an operation Base: The number that get Power: The exponent — or Exponent: The power — or Indices: The power or the e Negative: () value below zeu	is commutative if changing s multiplied by a power the number that tells you the number that tells you xponent.) the order does not chang how many times to use the	number in multiplication
Positive powers o	<u>f 10</u>		<u> Standard form w</u>		Negative powers o	<u>;</u> <u>xf_10</u>
I billion	ndices 10ª x	$ 0_p = 0_{a+p}$	l ess than 10 l l <u>Example</u>] 3.2 x 10 ⁴	10 n Any integer Non-example	1000	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$
Numbers betweer	n O and	<u> </u>	- = 3.2 x 10 x 10 x 10 x 1 = 32000	0 5.3 x 10 ⁰⁷	the power 0 always = 1	Negative powers do not indicate negative solutions
$\begin{array}{c c} 0.054 & 1 \\ = 5.4 \times 10^{-2} & 10^{0} \\ 0 & 0 \end{array}$	• $\frac{1}{10}$ • $ 0^{-1}$ • 0	$\frac{1}{100} \qquad \frac{1}{1000} \\ 10^{-2} \qquad 10^{-3} \\ 5 \qquad 4$	- 1	n standard form [.4 x 10 ² 3.3 x 10 ⁰	1.3 x 10 ⁻¹ Look	10-1 10-2 10-3 10-4 k at the power first he number be = > or < than 1
0 negative power answer — it means			┘ 0.064 	240 I	0.13 Use	a place value grid to compare the bers for ordering
Mental calculation 6.4 x 10 ² x 1000 Not i	. <u> </u>		<u></u> δx 10 ⁵ x⊙	<u>Addition and Subt</u> 	standard from at	ordinary numbers first and back to t the end
$= 6.4 \times 10^5$	ddition for indi	ces rule = 2. <u>= 2.</u> <u>Remember the</u> Ony number between 1 and	A x 10 n	- 600000 + 800000 - 140000 - 1.4 x 10 ⁵ More robust method Less room for misconcept Easier to do calculations v negative indices	vith	
Multiplication and	<u>division</u>	Ess than 10 For multiplication	n and division you can look at the	Using a calculator		3 Use a calculator to work out this question to a suitable degree of
	n questions ok like this r 10 ³)		and the powers of 10 as two eparate calculations	hput 14 and press x10 *) Th Press [X] hput 3.9 and press x10 *) Th Press (=)	- This	accuracy
(15 + 0.3) x 10 ⁵ +	103		nd subtraction laws for indices — eeded for the calculations	 To put into standard form or	nd a quitable de area af annuranu	Click calculator for video tutorial
$= 5 \times 10^{2}$		n law for indices A n = A m + n	Subtraction law for indices $a^m \div a^n = a^{m-n}$	Press SHIFT SETUP and th Choose a degree of accurac		Onswer: 5.5 x 10 ⁵

YEAR 8 — DEVELOPING NUMBER...

		N	lumber	r Sense
What do I need to be able to do? By the end of this unit you should be able to: Round numbers to powers of 10 and 1 sf Round numbers to any dp Estimate solutions Calculate using order of operations Calculate with money, units of measurement and time	I Decimal: Place holders aft Overestimate: Rounding u	simpler but keeping its value close to ;er the decimal point. p — gives a solution higher than the down — gives a solution lower than t surement. noney in a bank account	actual value	
Round to powers of 10 and 1 sig. fig. 5495 to the nearest 1000 5475	TR If the number is 1 to the nearest 100	halfway between we " round up " 5475 to the nearest 10	370 to Isignifica 37 to Isignifica 3.7 to Isignifica 0.37 to Isignifica	nt figure is 4
5000 1 6000 5400	1 5500	5470 1 (5480)	0.00037 to 1 sig	gnificant figure is 0.0004
24 1 25	Focus on the numbers after the decimal point 2.4 6 192 This shows the number is closer to 25 2.46 192 This shows the number is closer to 246	21.4 x 3.1 ≈ 20 x 3 ≈ 60 It is good to check all calculations v	This is an overestimate b ign changes to show it is an) This is an underestimate b	vecause both values were rounded down
Order of operations Brackets Operations in brackets are calculated first Other operations e.g. powers, roots, Multiplication/Division They are carried out in the order from left to right in the question Oddition/Subtraction They are carried out in the order from left to right in the question	Using a calculator - correct units. £ 1.30 + 50p = 1.30	more in an account Money cal than £0 in an account - ensure you are working in the	wlations are to 2dp = 100p	
Units are important: Useful Conversions	÷ 10 mm × 1	$ \begin{array}{c} $	9 + 1000 8 + 1000 × 1000	$\begin{array}{c} & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & &$
Metric measures of length $Hib = 1000 \times meter$ Centi - $\frac{1}{100} \times meter$ $Hill - \frac{1}{1000} \times meter$	Time and the caler <u>IYear</u> - the amou takes Earth to go a sun 365 (and a gu <u>Leap Year</u> - 366	Al days - Jan, March Oug Oct, Dec 30 days - Opril Jun around the 28 days - Feb (29 k iarter) days <u>Iweek</u> - 7 days days (every Monday, Tuesday, We	h, May, July e, Sept, Nov (dnesday,	I day - 24 hours I hour - 60 minutes I minute - 60 seconds Jse a number line for time calculations!
Units of weight/ capacity Weight = g, kg, t Capacity (volume of liquid) = ml, L	Onalogue Clock	4 years) Thursday, Friday, Satu <u>L2-hour clock</u> Use am (morning) and pm (afterno	<u>Digital Clock (24-hour</u>	times) 24-hour clock • 0-11 (morning hours) • 12-23 (afternoon hours)



YEAR 8 - DEVELOPING GEOMETRY... @whisto_maths Orea of trapezia and Circles



= (300 + 64 π) m

0R = 501.1 m

It is important to round your answer suitably — to significant figures or decimal places. This will give you a decimal solution that will go on forever!

Still remember to split up the compound shape into smaller more manageable individual shapes first

YEAR 8 - DEVELOPING GEOMETRY... *Event* whisto_maths Line symmetry and reflection

Recognise line summetry

Reflect in a vertical line

Reflect in a diagonal line

Reflect in a horizontal line

By the end of this unit you should be able to:

to do?

Keywords

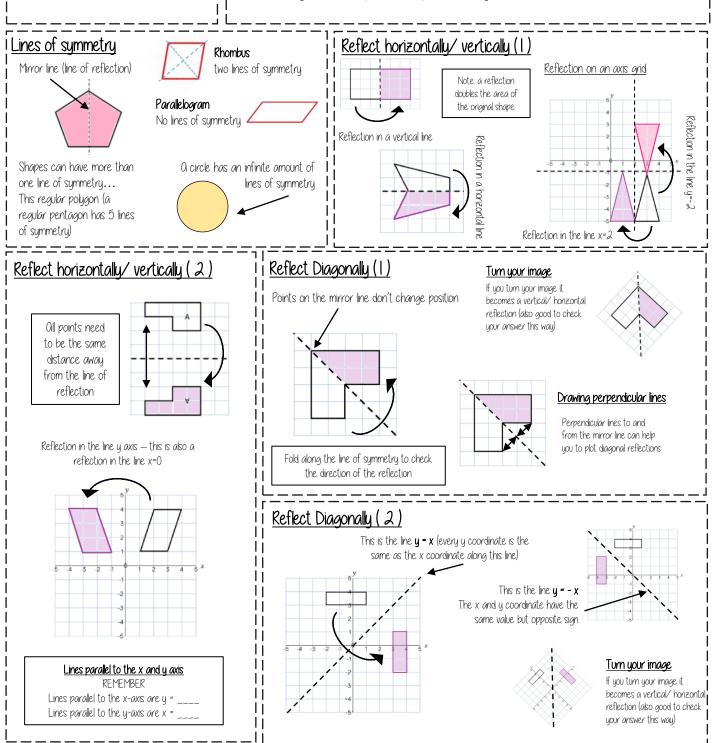
Mirror line: a line that passes through the center of a shape with a mirror image on either side of the line. Line of symmetry: same definition as the mirror line

Reflect: mapping of one object from one position to another of equal distance from a given line. **Vertex:** a point where two or more-line seaments meet.

Perpendicular: lines that cross at 90°

Horizontal: a straight line from left to right (parallel to the x axis)

Vertical: a straight line from top to bottom (parallel to the y axis)



YEAR & - REASONING WITH DATA The data handling cycle @whisto maths



YEAR 8 - REASONING WITH DATA... Measures of location

@whisto maths

mode.

range

Identify outliers

What do I need to be able to do?

By the end of this unit you should be able to: Understand and use mean, median and

Choose the most appropriate average

Compare distributions using averages and

Keywords

Spread: the distance/how spread out/variation of data
Overage: a measure of central tendency - or the typical value of all the data together
Total: all the data added together
Frequency: the number of times the data values occur
Represent: something that show's the value of another
Outlier: a value that stands apart from the data set
Consistent: a set of data that is similar and doesn't change very much

Mean, Median, Mode The Median The Mean The Mode (The modal value) Q measure of average to find the central tendency... The value in the center (in the middle) of the data This is the number OR the item that occurs the most (it does not a typical value that represents the data have to be numerical) 24, 8, 4, 11, 8, 24, 8, 4, 11, 8, 24, 8, 4, 11, 8, 4, 8, 8, 11, 24 Find the sum of the data (add the values) 55 Put the data in order This can still be easier if it the data is ordered first 4, 8<mark>,</mark> 8<mark>,</mark> 11, 24 Divide the overall total by how many Find the value in the middle $55 \div 5$ 4.8.8.11.24 pieces of data you have NOTE: If there is no single middle Mode = 8 Mean = 11 Median = 8 value find the mean of the two numbers left Choosing the appropriate average Here are the weekly wages of a small firm Which average best represents £240 £240 £240 £240 £240 the weekly wage? £260 £260 £.300 £.350 £.700 The average should be a representative of the data set - so it should be compared to the Put the data back into context set as a whole - to check if it is an The Mean = £307 Mean/Median - too high (most of this company earn £240) appropriate average Mode is the best average that represents this wage The Median = £250 The Mode = £240 It is likely that the salaries above £240 are more senior staff members — their salary doesn't represent the average weekly wage of the majority of employers Identify outliers 1 Comparing distributions Comparisons should include a statement of average and central tendency, as well as Outliers are values that stand well apart from the rest of the data a statement about spread and consistency. Sometimes it is Outliers can have a big impact on range and mean. Here are the number of runs scored last month by Lucy and James in 11 best to not use They have less impact on the median and the mode 11 cricket matches an outlier in 11 45, 32, 37, 41, 48, 35 Lucu: Height in cm calculations 152 150 142 158 182 151 153 149 156 160 151 144 60, 90, 41, 23, 14, 23 James: Where an outlier is Lucy identified try to give it 80 Mean: 39.6 (Idp), Median: 38. Mode: no mode, Range: 16 James has two Outliers can also be some context. extreme values that 60 <u>James</u> identified graphically 11 This is likely to be a taller have a big impact on 40 Mean: 418 (1dp), Median: 32, Mode: 23, Range: 76 🗲 e.g. on scatter graphs member of the group. the range Could the be an older 20 "James is less consistent that Lucy because his scores have a greater range. student or a teacher? Lucy performed better on average because her scores have a similar mean and 20 40 60 80

a higher median"

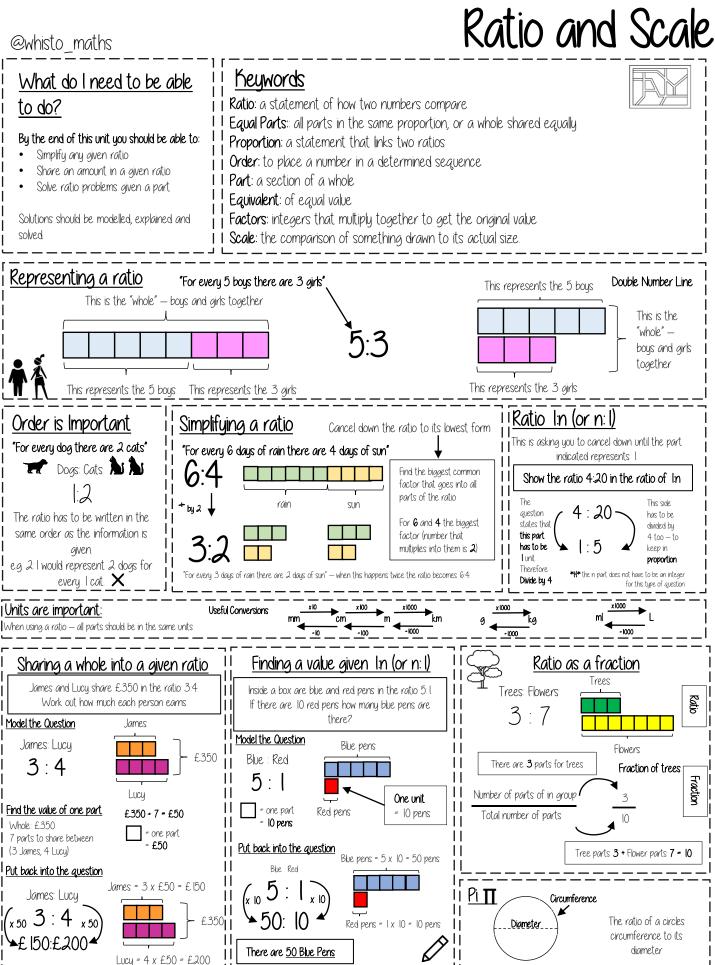
YEAR 8 KNOWLEDGE ORGANISERS



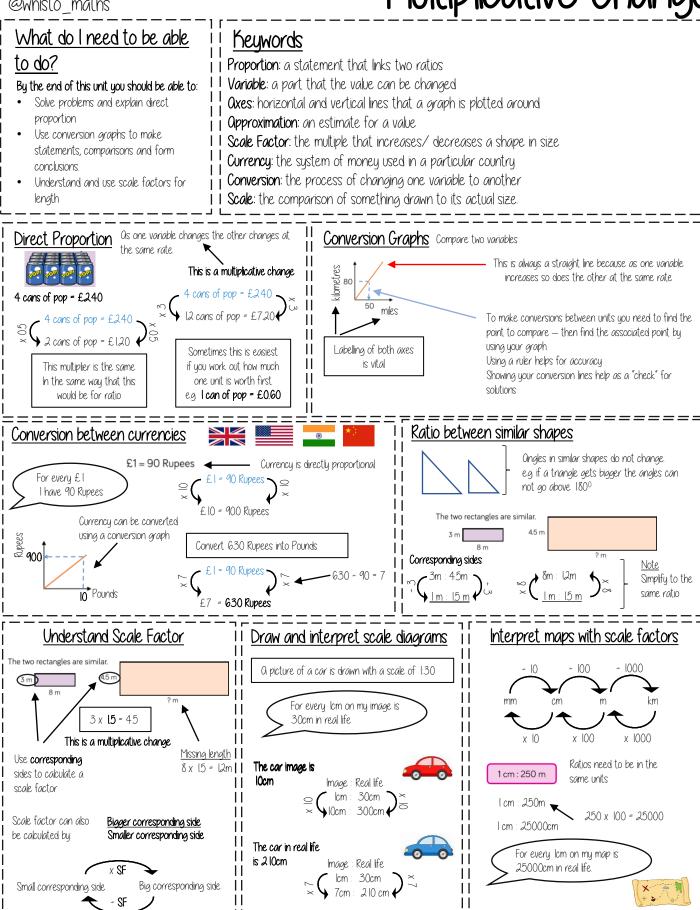
BLOCK: PROPORTIONAL REASONING Ratio and Scale Multiplicative Change Multiplying and Dividing Fractions

YEAR & - PROPORTIONAL REASONING

@whisto maths



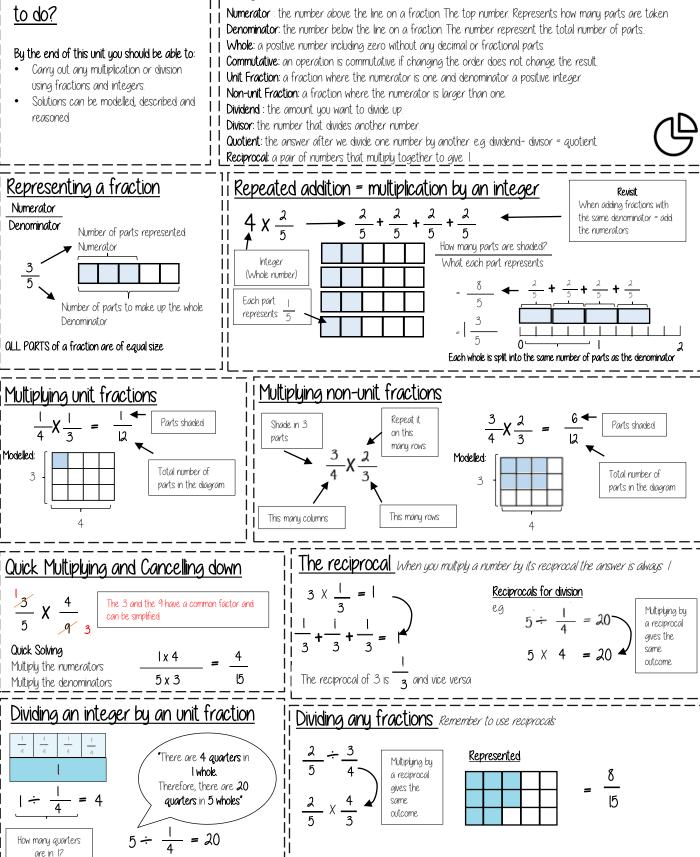
YEAR 8 - PROPORTIONAL REASONING... @whisto_maths Multiplicative Change



YFAR & - PROPORTIONAL REASONING Multiplying and Dividing Fractions @whisto maths

What do I need to be able to do?

Keywords



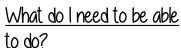
YEAR 8 KNOWLEDGE ORGANISERS



BLOCK: REPRESENTATIONS Working in the Cartesian plane Representing data Tables

@whisto_maths

YEAR 8 - REPRESENTATIONS... <u> *Working in the Cartesian plane*</u>

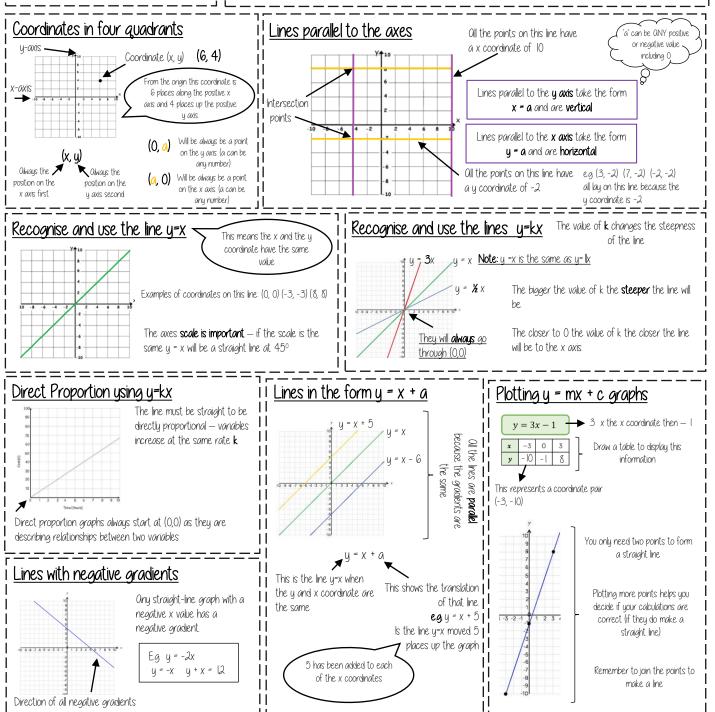


By the end of this unit you should be able to:

- Label and identify lines parallel to the axes
- Recognise and use basic straight lines
- · Identify positive and negative gradients
- Link linear graphs to sequences
- Plot y = mx + c graphs

Keywords

- Quadrant: four quarters of the coordinate plane.
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- Horizontal: a straight line from left to right (parallel to the x axis)
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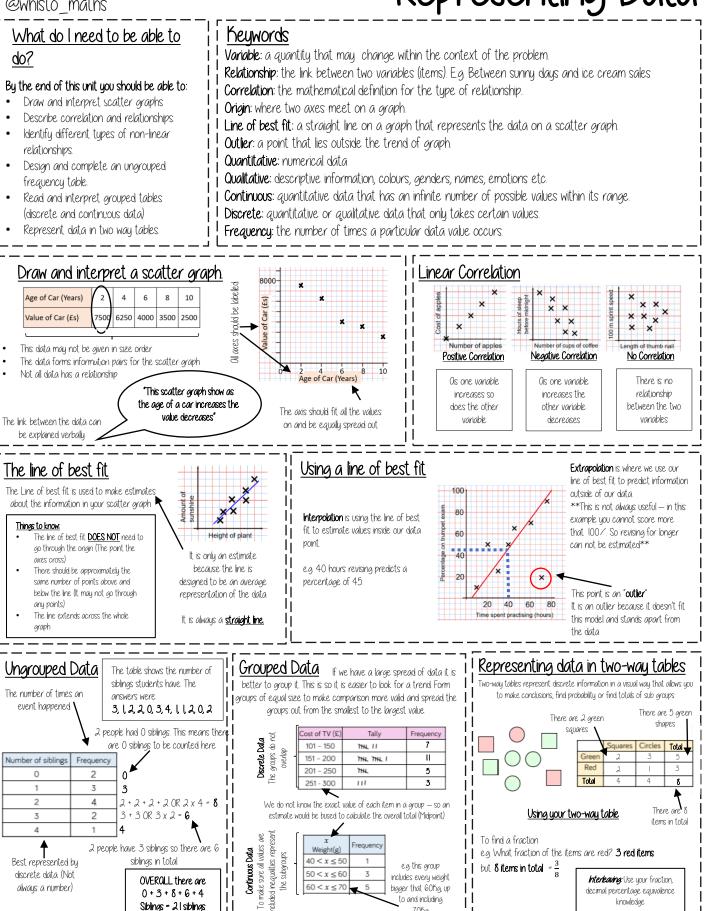


YEAR 8 - REPRESENTATIONS

Siblings = 21 siblings

Representing Data

@whisto maths

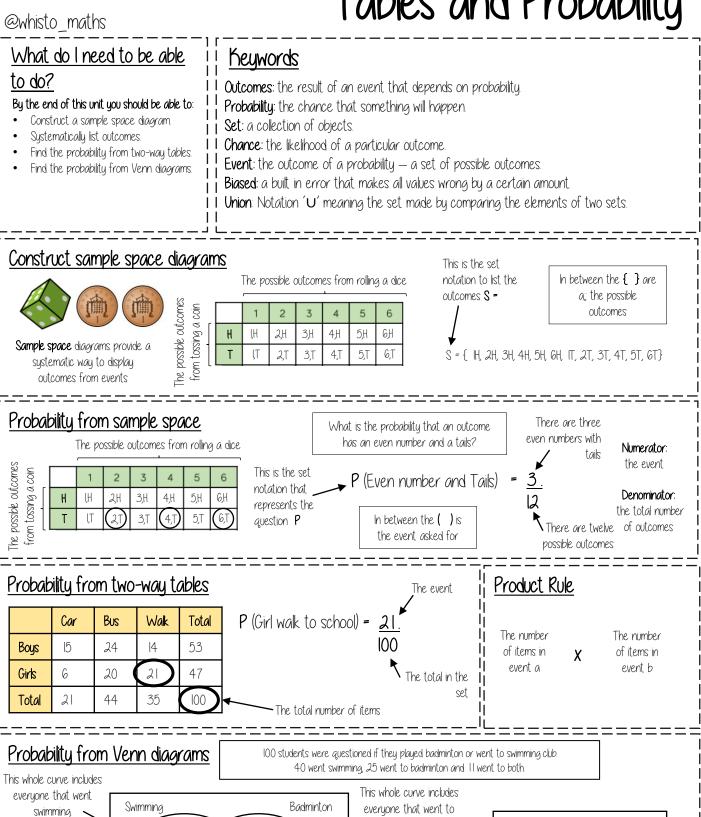


to and including

70ha

knowledge

YEAR 8 - REPRESENTATIONS... Tables and Probability



badminton.

Because 11 did both we

calculate just badminton

by 25 - 11

The number outside represents those

that did neither badminton or swimming

P (Just swimming) =

100 - 29 - 11 - 14

29.

100

Because 11 did both we

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The intersection

represents both.

Swimming **QND** badminton

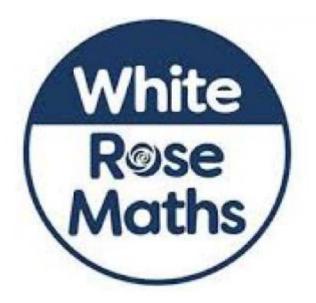
29

14

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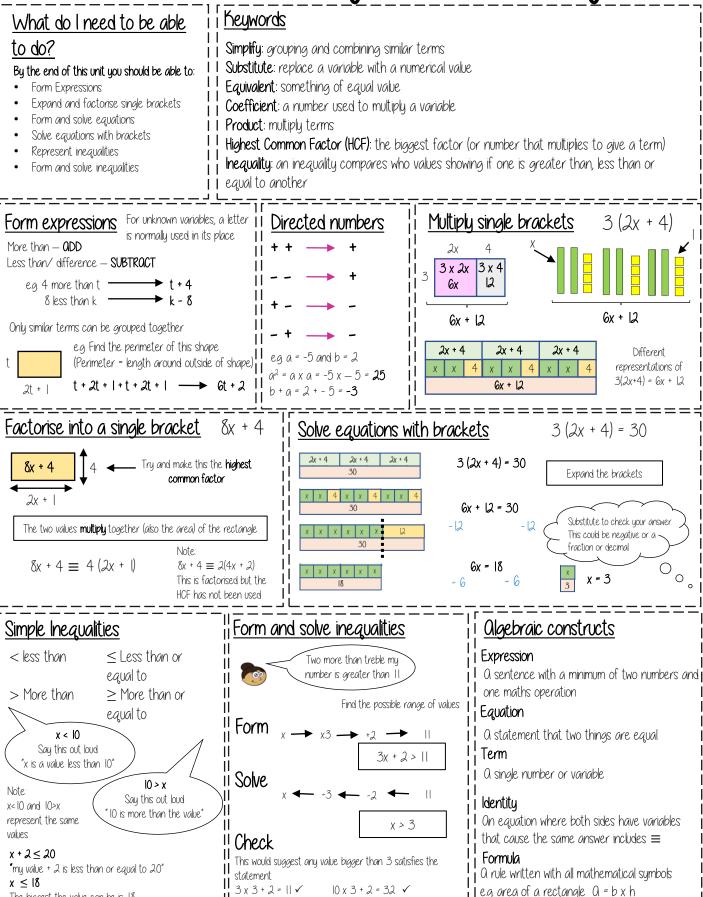
YEAR 8 KNOWLEDGE ORGANISERS



BLOCK: ALGEBRAIC TECHNIQUES Brackets, Equations & Inequalities Sequences Indices

@whisto_maths

YEAR 8 - ALGEBRAIC TECHNIQUES... <u>@whisto_maths</u> Brackets, Equations & Inequalities



The biggest the value can be is 18

YEAR 8 - ALGEBRAIC TECHNIQUES...

@whisto_maths	Sequences
 Use and of this unit you should be able to: Generate a sequence from term to term or position to term rules Recognise arithmetic sequences and find the nth term Recognise geometric sequences and 	ig is located een terms increases or decreases (+ or -) by a constant value each time vetween terms increases or decreases in different amounts, or by x or ÷
Linear and Non Linear Sequences Linear Sequences – increase by addition or subtraction and the same amount each time Non-inear Sequences – do not increase by a constant amount – quadratic, geometric and Fibonacci • Do not plot as straight lines when modelled graphically • The differences between terms can be found by addition, subtraction, multiplication or division Fibonacci Sequence – look out for this type of sequence 0 2 3 5 8 Each term is the sum of the previous two terms Each term is the sum of the previous two terms Sequences from algebraic rules This is substitution! 3n ² + 7	Sequence in a table and graphically Position: the place in the sequence Position: the place in the sequence The term in position 3 has 7 squares" Term: the number or variable (the number of squares in each image) <u>A a table</u> Position 1 2 3 <u>Term 3 5 7</u> <u>Craphically</u> <u>Because the terms increase by the same addition each time this</u> <u>Position</u> <u>is inear</u> – as seen in the graph
This will be linear - note the single power of n The values increase at a power for n constant rate 2n - 5 Substitute the number of the term you are looking for in place of 'n' eg pt term = $2(1) - 5 = -3$ 2^{nd} term = $2(2) - 5 = -1$ 100^{th} term = $2(100) - 5 = 195$ <u>Checking for a term in a sequence</u> is 201 in the sequence $3n - 4$? 3n - 4 = 201 Solving this will find the position of the term in the sequence. ONLY an integer solution can be in the sequence.	$(U_{1}, b_{1}, b_{1}, b_{1}, b_{2}, b_{1}, b_{2}, b_{2}, b_{2}, b_{1}, b_{2}, b_{2}, b_{1}, b_{1},$
H Finding the algebraic rule This is the 4 \longrightarrow 4, 8, 12, 16, 20 4n $\downarrow \downarrow \downarrow$ 7, 11, 15, 19, 22 \longleftarrow This has the same difference – but is the original sec 4n + \downarrow	3 more than difference between the terms original and new sequence

YEAR 8 - ALGEBRAIC TECHNIQUES...

le alia a a

@whisto_maths		Indices
What do I need to be ableto do?By the end of this unit you should be able to:• Odd/ Subtract expressions with indices• Multiply expressions with indices• Divide expressions with indices• Know the addition law for indices• Know the subtraction law for indices		the number that tells you how many times to use the number in multiplication the number that tells you how many times to use the number in multiplication exponent. ed to multiply a variable
Oddition/Subtraction with indices	<u></u>	Multiply expressions with indices
Coefficient Power $5x^2 + 4x^4$ Term Term Expression	Each square represents x ² and each cube represents x ⁴	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$
Only similar terms can be If they have different pare unlike term $5x^2 + 2x^2 \longrightarrow \qquad $	owers, they as $7x^2$	$ \begin{array}{c} 2b^{4} \times 3b^{2} \\ \equiv 2 \times b \times b \times b \times b \times 3 \times b \times b \\ \equiv 2 \times 3 \times b \\ \equiv 6 b^{6} \end{array} $ There are often misconceptions with this calculation but break down the powers $ \begin{array}{c} \underline{0 \text{ ddition/ Subtraction laws for indices}} \\ 3^{5} \times 3^{2} & \longrightarrow & 3^{7} \\ = (3 \times 3 \times 3 \times 3 \times 3) \times (3 \times 3) \end{array} $
Divide expressions with indices	 	The base number is all the same so the terms can be simplified
$\begin{array}{cccc} \underline{24} & \longrightarrow & \underline{\cancel{3}} \times \cancel{$	$\rightarrow \frac{2}{3}$	$\begin{array}{c} \text{Oddition law for indices} \\ \text{Oddition law for indices} \\ \text{Oddition law for indices} \end{array}$
$\frac{5 a^3 b^2}{15 a b^6} \rightarrow \frac{5 x a x a x a x b}{3 x 5 x a x b x b x b x b}$ Cross cancelling factors shows cance	I	$3^{5} \div 3^{2} \longrightarrow 3^{3}$ $3^{5} \div 3^{2} \longrightarrow 3^{3}$ $3^{5} \div 3^{2} \longrightarrow 3^{3}$ $3^{7} \times 3^{7} \longrightarrow 3^{3}$ $3^{0} \longrightarrow 1$
$\left[\begin{array}{c} \underline{23 \ a^7 \ y^2} \\ 5 \ d \ b^6 \end{array}\right]$ This expression cannot be divide (cancelled down) because there a no common factors or similar ter	ire	Subtraction law for indices $a^m \div a^n = a^{m-n}$
L		: '

YEAR 8 KNOWLEDGE ORGANISERS



BLOCK: DEVELOPING NUMBER

Fractions and Percentages Standard Index Form Number Sense

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YEAR & - DEVELOPING NUMBER Fractions & Percentages @whisto maths

Keywords What do I need to be able Percent parts per 100 - written using the / symbol to do? Decimal: a number in our base 10 number system. Numbers to the right of the decimal place are called decimals. Bu the end of this unit you should be able to: Fraction: a fraction represents how many parts of a whole value you have. Convert between FDP less than and Equivalent: of equal value. more than 100. Reduce: to make smaller in value. Increase or decrease using multipliers. Growth: to increase / to arow. Express an amount as a percentage. Integer: whole number, can be positive, negative or zero. Find percentage change. Invest: use money with the goal of it increasing in value over time (usually in a bank). _____ ___ Fraction/Percentage of amount Convert FDP R R 70 out of 100 70 hundredths This also 70 Find $\frac{3}{5}$ of £60 ER ER ER ER ER squares = 70% means 100 70 "hundredths" 70 - 100 = 7 "tenths" Using a Remember 0.7 Remember calculator Be careful of recurring decimals $10\% \text{ of } \pounds 60 = \pounds 6$ $\frac{3}{1} = 60 \times = 0.6$ <u>3</u> = 60% = 0.33333333 50% of £60 = £30 e.g 11 60% of £60 = 0.3 60% of £60 = £36 11 SI D Convert to a decimal = 0.6 x 60 The dot above the 3 11 This will give you the answer × 100 converts = £.36 in the simplest form to a percentage Percentage decrease: Multipliers Percentage increase: Multipliers Convert FDP < and > 100% 100% 12% 100% 40 hundredths 100 hundredths 4 tenths 10 tenths 40% 100% Decrease by 58% Increase by 12% 140 hundredths 14 tenths 100%+40% |00|' - 58|' = 42|'140% |00'/.+|2'/.=|12'/.Multiplier Multiplier 1+0.40 More than 100 - 0.58 = 0.42 4 Less than |00+0|2=|12= 140 ii Express as a 🛛 - Calculator Express as a / - Non-calculator Percent – per hundred Ш This means that 70 per every 100 7 per every 10 are orange Rosie 70% are orange 70. <u>7</u>. 43.3333.. 100 10 13. 30 43% 30 54 per every 100 shaded 27 per every 50 shaded 54% 54 <u>27 .</u> This the same as ш 100 Can't use equivalence 50 13 - 30 Decimal percentages easily to find 'per Ш are still a percentage Denominator 100 Equivalent fractions hundre.d Percentage change Choose appropriate method bought a house for £180,000, bought a phone for £200. later sold it for £216,000. Q year later sold it for £ 1,25. The language and wording of 100% the question is the key 100% **All** values of change £180,000 compare to the £200 ORIGINOL value f 125 Percentage profit Have you represented the question in a Percentage loss ★<u>36000</u> × 100 =20%

Money made (profit value)

180000

bar model?

Can you use a calculator?

Difference in value ____ × 100

Original value

75

200

× 100 = 37.5%

YEAR 8 - DEVELOPING NUMBER...

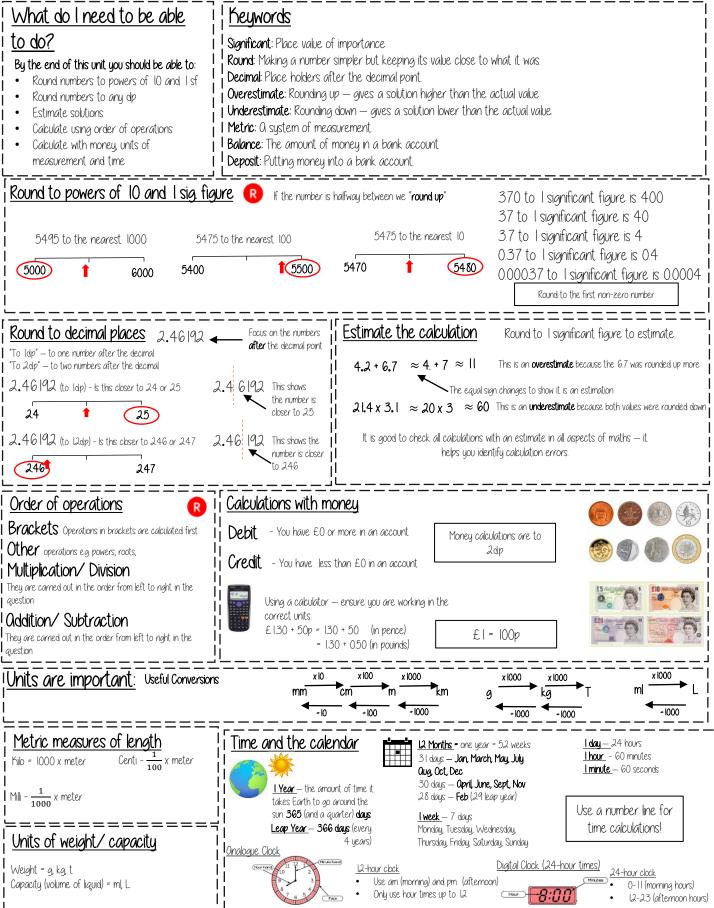
Standard Form

@whisto_maths	S					
What do I nee	d to be	able	Keywords			
to do? By the end of this unit • Write numbers in ordinary numbers • Order numbers in s • Odd/ Subtract with • Multiply/ Divide with • Use a calculator with	standard f standard fc h standard h standard	orm and as mm from form	Standard (index) Form: () sy Commutative: an operation Base: The number that get Power: The exponent — or Exponent: The power — or Indices: The power or the e Negative: () value below zeu	is commutative if changing s multiplied by a power the number that tells you the number that tells you xponent.) the order does not chang how many times to use the	number in multiplication
Positive powers o	<u>f 10</u>		<u> Standard form w</u>		Negative powers o	<u>;</u> <u>xf_10</u>
I billion	ndices 10ª x	$ 0_p = 0_{a+p}$	l ess than 10 l l <u>Example</u>] 3.2 x 10 ⁴	10 n Any integer Non-example	1000	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$
Numbers betweer	n O and	<u> </u>	- = 3.2 x 10 x 10 x 10 x 1 = 32000	0 5.3 x 10 ⁰⁷	the power 0 always = 1	Negative powers do not indicate negative solutions
$\begin{array}{c c} 0.054 & 1 \\ = 5.4 \times 10^{-2} & 10^{0} \\ 0 & 0 \end{array}$	• $\frac{1}{10}$ • $ 0^{-1}$ • 0	$\frac{1}{100} \qquad \frac{1}{1000} \\ 10^{-2} \qquad 10^{-3} \\ 5 \qquad 4$	- 1	n standard form [.4 x 10 ² 3.3 x 10 ⁰	1.3 x 10 ⁻¹ Look	10-1 10-2 10-3 10-4 k at the power first he number be = > or < than 1
0 negative power answer — it means			┘ 0.064 	240 I	0.13 Use	a place value grid to compare the bers for ordering
Mental calculation 6.4 x 10 ² x 1000 Not i	. <u> </u>		<u></u> δx 10 ⁵ x⊙	<u>Addition and Subt</u> i	standard from at	ordinary numbers first and back to t the end
$= 6.4 \times 10^5$	ddition for indi	ces rule = 2. <u>= 2.</u> <u>Remember the</u> Ony number between 1 and	A x 10 n	- 600000 + 800000 - 140000 - 1.4 x 10 ⁵ More robust method Less room for misconcept Easier to do calculations v negative indices	vith	
Multiplication and	<u>division</u>	Ess than 10 For multiplication	n and division you can look at the	Using a calculator		3 Use a calculator to work out this question to a suitable degree of
	n questions ok like this r 10 ³)		and the powers of 10 as two eparate calculations	 hput 14 and press x10 *) Th Press (X) hput 3.9 and press x10 *) Th Press (=)	- This	accuracy
(15 + 0.3) x 10 ⁵ +	103		nd subtraction laws for indices — eeded for the calculations	 To put into standard form or	nd a quitable de area af annuranu	Click calculator for video tutorial
$= 5 \times 10^{2}$		n law for indices A n = A m + n	Subtraction law for indices $a^m \div a^n = a^{m-n}$	Press SHIFT SETUP and th Choose a degree of accurac		Onswer: 5.5 x 10 ⁵

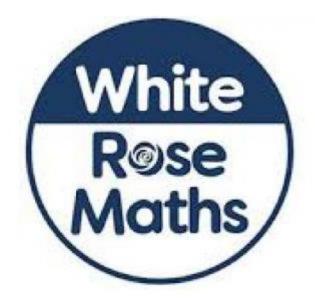
YEAR 8 - DEVELOPING NUMBER

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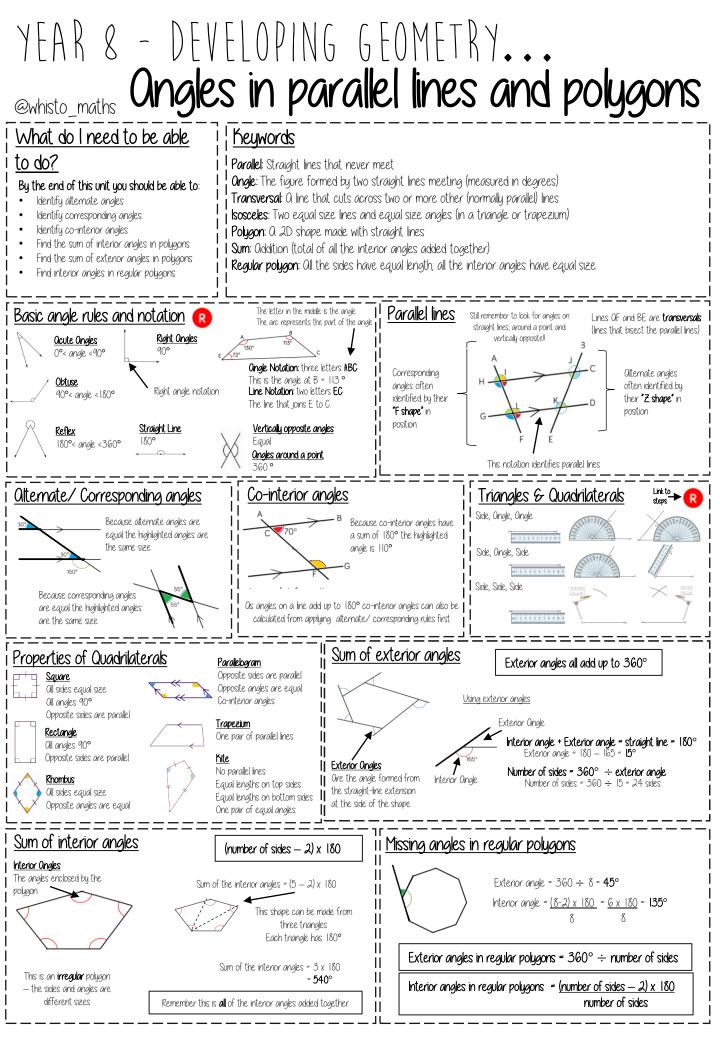
YEAR 8 KNOWLEDGE ORGANISERS



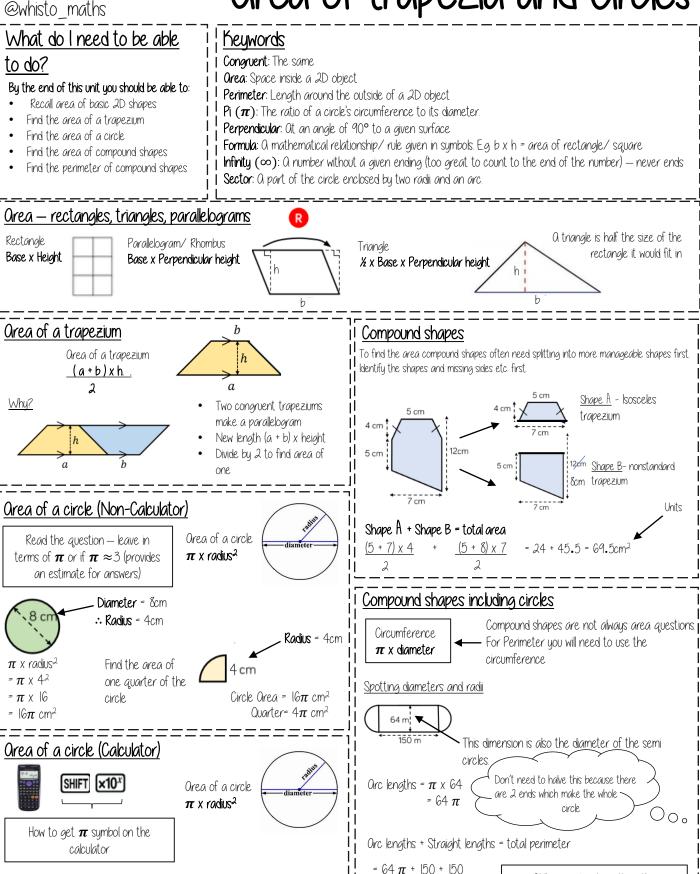
BLOCK: DEVELOPING GEOMETRY

Ongles in parallel lines and polygons Orea of trapezia and circles Line symmetry and reflection

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YEAR 8 - DEVELOPING GEOMETRY... @whisto_maths Orea of trapezia and Circles



= (300 + 64 π) m

0R = 501.1 m

It is important to round your answer suitably — to significant figures or decimal places. This will give you a decimal solution that will go on forever!

Still remember to split up the compound shape into smaller more manageable individual shapes first

YEAR 8 - DEVELOPING GEOMETRY... *Event* whisto_maths Line symmetry and reflection

Recognise line summetry

Reflect in a vertical line

Reflect in a diagonal line

Reflect in a horizontal line

By the end of this unit you should be able to:

to do?

Keywords

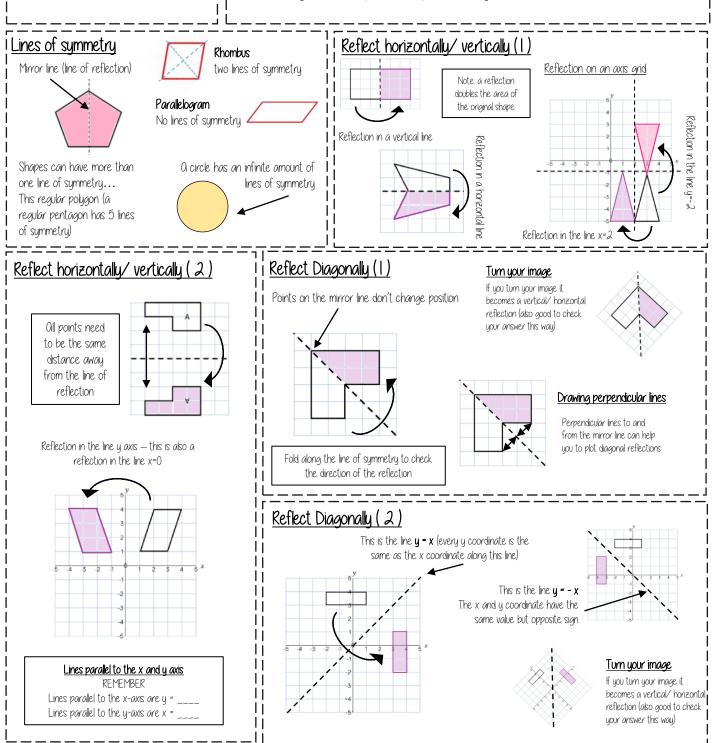
Mirror line: a line that passes through the center of a shape with a mirror image on either side of the line Line of symmetry: same definition as the mirror line

Reflect: mapping of one object from one position to another of equal distance from a given line. **Vertex:** a point where two or more-line seaments meet.

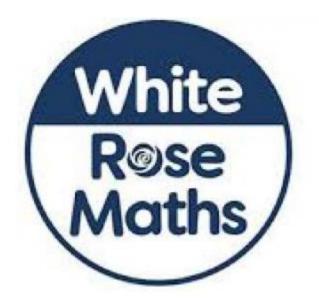
Perpendicular: lines that cross at 90°

Horizontal: a straight line from left to right (parallel to the x axis)

Vertical: a straight line from top to bottom (parallel to the y axis)



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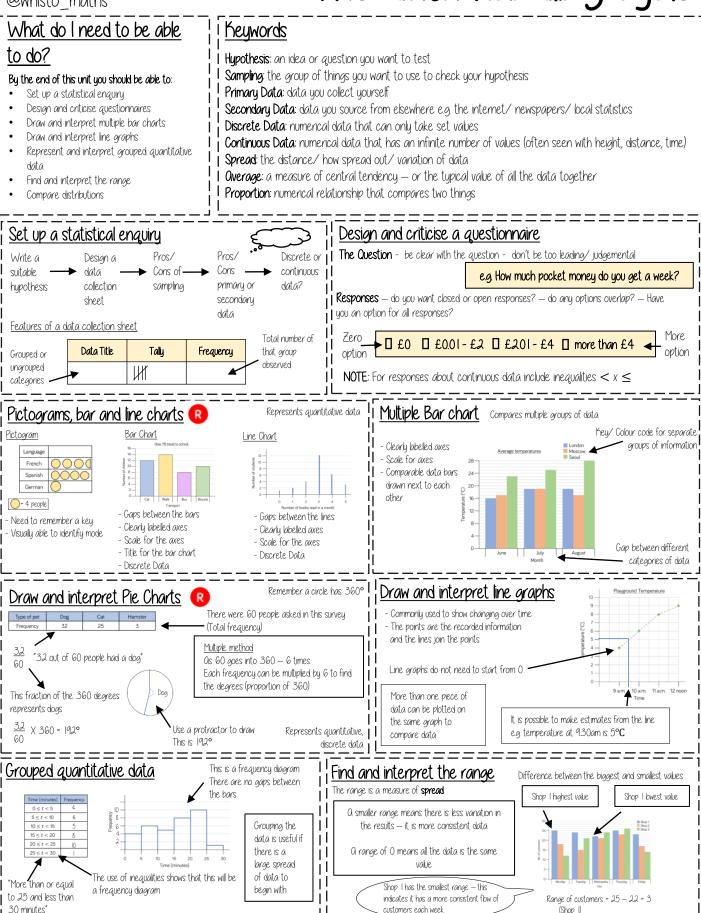


BLOCK: REASONING WITH DATA

The data handling cycle Measures of location

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YEAR & - REASONING WITH DATA The data handling cycle @whisto maths



YEAR 8 - REASONING WITH DATA... Measures of location

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mode.

range

Identify outliers

What do I need to be able to do?

By the end of this unit you should be able to: Understand and use mean, median and

Choose the most appropriate average

Compare distributions using averages and

Keywords

Spread: the distance/how spread out/variation of data
Overage: a measure of central tendency - or the typical value of all the data together
Total: all the data added together
Frequency: the number of times the data values occur
Represent: something that show's the value of another
Outlier: a value that stands apart from the data set
Consistent: a set of data that is similar and doesn't change very much

Mean, Median, Mode The Median The Mean The Mode (The modal value) Q measure of average to find the central tendency... The value in the center (in the middle) of the data This is the number OR the item that occurs the most (it does not a typical value that represents the data have to be numerical) 24, 8, 4, 11, 8, 24, 8, 4, 11, 8, 24, 8, 4, 11, 8, 4, 8, 8, 11, 24 Find the sum of the data (add the values) 55 Put the data in order This can still be easier if it the data is ordered first 4, 8<mark>,</mark> 8<mark>,</mark> 11, 24 Divide the overall total by how many Find the value in the middle $55 \div 5$ 4.8.8.11.24 pieces of data you have NOTE: If there is no single middle Mode = 8 Mean = 11 Median = 8 value find the mean of the two numbers left Choosing the appropriate average Here are the weekly wages of a small firm Which average best represents £240 £240 £240 £240 £240 the weekly wage? £260 £260 £.300 £.350 £.700 The average should be a representative of the data set - so it should be compared to the Put the data back into context set as a whole - to check if it is an The Mean = £307 Mean/Median - too high (most of this company earn £240) appropriate average Mode is the best average that represents this wage The Median = £250 The Mode = £240 It is likely that the salaries above £240 are more senior staff members — their salary doesn't represent the average weekly wage of the majority of employers Identify outliers 1 Comparing distributions Comparisons should include a statement of average and central tendency, as well as Outliers are values that stand well apart from the rest of the data a statement about spread and consistency. Sometimes it is Outliers can have a big impact on range and mean. Here are the number of runs scored last month by Lucy and James in 11 best to not use They have less impact on the median and the mode 11 cricket matches an outlier in 11 45, 32, 37, 41, 48, 35 Lucu: Height in cm calculations 152 150 142 158 182 151 153 149 156 160 151 144 60, 90, 41, 23, 14, 23 James: Where an outlier is Lucy identified try to give it 80 Mean: 39.6 (Idp), Median: 38. Mode: no mode, Range: 16 James has two Outliers can also be some context. extreme values that 60 <u>James</u> identified graphically 11 This is likely to be a taller have a big impact on 40 Mean: 418 (1dp), Median: 32, Mode: 23, Range: 76 🗲 e.g. on scatter graphs member of the group. the range Could the be an older 20 "James is less consistent that Lucy because his scores have a greater range. student or a teacher? Lucy performed better on average because her scores have a similar mean and 20 40 60 80

a higher median"